## : Point Total

How to grade:
You will assess the completeness and accuracy of each entry. If it appears to you that everything was accurately explained in full, give $\mathbf{4} \mathbf{p t s}$ for that entry. If missing a minor point (for example: forgetting to do an example of volume rotating around $y$-axis even though explained it) then give $\mathbf{3} \mathbf{p t s}$ for that entry - depending on how minor the missing point was. If missing multiple parts or a major part of the topic (ex. forgetting to discuss MRAM or not including the tabular method) then give 2 pts. If just barely included - gave a formula but didn't explain anything or give any examples, give $\mathbf{1} \mathbf{p t}$. If WRONG topic or not even included, then give $\mathbf{0}$ points. If went way above and beyond with explanation, you can give 5 pts. YOU MUST EXPLAIN/LIST ANYTHING MISSING OR WRONG!! And comment if OUTSTANDING!!
__ Derivative page (worth 4 pts: ( -1 ) for each missing type (if forgot all the inverse trigs $=-2$ )) MEMORIZED derivatives (19) NOT rules (that is in a later section) but include constant, linear, and example of basic power ( $\mathrm{x}^{2}$ )

Integral page (worth 4 pts: (-1) for each missing type) MEMORIZED Integrals (18) - NOT rules but include constant, linear, and example of basic power ( $\mathrm{x}^{2}$ )

## MISC SECTION:

$\qquad$ Average rate of change: slope formula **NOT derivative, EXAMPLES - one using $f(x)$ and one finding "average velocity" given position equation.

Continuity: limit definition, types of discont (removable, jump, infinite, oscillating - include graphs and equations), how to
determine which type by limits, EXAMPLES (not just examples with graphs - show using function equations and limits) determine which type by limits, EXAMPLES (not just examples with graphs - show using function equations and limits)
____ Euler's Method: when use - not separable, approximates values on solution curve, method to do (using tangent line equations), EXAMPLE

## Horizontal and Vertical asymptotes using limits: how to find - infinite limits for horiz, limits as x

 approaches "a" from both sides equals infinities for vert., EXAMPLES of each type[^0] Type (so should be at least 4 examples total)
$\qquad$ Slope Fields: directions for how to draw, what they represent, what does the graph resemble?; EXAMPLE

## DERIVATIVE SECTION:

$\qquad$ Concavity: $2^{\text {nd }}$ derivative, points of inflection, what concavity looks like on $f(x)$, what $f^{\text {' }}(\mathrm{x})$ is doing, EXAMPLES (at least one should be algebraic and another should be graphical (given graph of f ', describe concavity of f)
$\qquad$ Critical numbers - definition, how to find, looking @ domain, etc; EXAMPLES (at least one analytic and one with graph)

[^1]Differentiability: limit definitions of derivative, must be continuous, when not diff: cusps, corners, vert tangents, discontinuous; looking at domain of derivative to determine differentiability; differentiation rules - product, quotient, power, chain; EXAMPLES - of all different types $* *$ this is a big one ${ }^{* *}$

First Derivative Test: what it is and how to use, EXAMPLES (analytic AND graphing) - one should include case with a "double root", one should include determining extrema of $\mathrm{f}(\mathrm{x})$ when given graph of deriv
$\qquad$ Implicit Differentiation: include how to do y'" implicitly as well; EXAMPLES
$\qquad$ Increasing/Decreasing: derivative positive $=$ increasing, neg $=$ decr, EXAMPLES worked out

Linearization - specifically using equation of tangent lines to approx values on solution, including how to determine if over- or underestimate: overest if concave down, under est if concave up, EXAMPLE

Mean Value Theorem for derivatives (Include Rolle's Thm as special case) : Hypotheses, formula with derivative: $f(b)-f(a) / b-a=f^{\prime}(c)$, EXAMPLES

Motion (rect chart problems - include direction, speed incr/decr, etc): $\mathrm{v}(\mathrm{t})>0$ right, $\mathrm{v}(\mathrm{t})<0$ left; compare signs of $v(t)$ and $a(t)$ for speed incr/decr: same signs incr, diff signs decr,; parametric $v(t)$, $a(t)$, and speed ; EXAMPLES of both rect and parametric (parametric is NOT a chart) include applications (projectile)

Optimization: max and min applications - steps to do, EXAMPLES (at least 2 different types)

Related Rates: steps to do, using implicit differentiation, EXAMPLES (at least 2 different types)

Second Derivative Test: NOT concavity!! Find crit \#s and plug into f ": if $>0$ min, if $<0$ max, if $=0$ use first deriv test, EXAMPLES

Tangent Lines (include rect (3 types), parametric, and polar, also how to find horizontal and vertical tangents): need dy/dx and a point - use point slope form, horiz tangent where numerator $=0$ (or dy/dt), vert tangents where denom $=0($ or $\mathrm{dx} / \mathrm{dt})$, how to find dy/dx for parametric and polar, EXAMPLES of each type ${ }^{* *}$ another big one**

## INTEGRAL SECTION:

Arclength (Rect and parametric form) basic formulas, special cases - corner and vert tangents (how to do), parametric formula: length $=$ total distance traveled in parametric, EXAMPLES of each type - rect and par and special cases.

Area of a region (including region bounded by polar curves): top - bottom (x's), rt - left (y's), split when change, polar formula, examples rect ( $x$ and $y$ ) and polar (one curve and intersecting), EXAMPLES of each type (at least 4 examples)

Average Value of a function and MVT for Integrals: formula, MVT - set $f(x)=\operatorname{avg}$ value, EXAMPLES of each type

Change of Variables to integrate (u-sub): How to do, include definite integrals and changing limits, at least 2 examples

Differential Equations (separable): how to separate and do, examples should include 1 word problem (ie. rate of change pop proportional to pop), EXAMPLES (at least 2 - one "normal" where just separate and solve and one application)

Fundamental Theorem of Calculus (2 parts): both parts - evaluating and derivatives of integrals, include how to find new Value ( $\mathrm{F}(\mathrm{b})$ ), should have example with function as one of the integral limits - chain, EXAMPLES of each type, include at least one example where given graph of deriv and finding new function value

Improper Integrals: infinities as limits and discontinuous integrands - need both types, if integral $=$ infinity then diverges, EXAMPLES of each type (at least 2)

Integration by Parts: LIPET, tabular method, EXAMPLES (at least 2)

Logistic : general differential equation, carrying capacity, infinite limit = carrying capacity, max population when at $1 / 2$ carrying capacity, EXAMPLES of each type
$\qquad$ Partial Fractions: includes basic, repeated linear and irreducible quadratic, EXAMPLES of each type (at least 3)

Riemann Sums and Rectangular Approximation (3) and Trap Rule: what are they used for, LRAM, RRAM, MRAM; when over/under est, EXAMPLES of each type - at least one given $f(x)$ and another given table of values with different interval lengths

Total Distance vs. Displacement: tot dist = integral of abs value of $v(t)$, displacement $=$ no abs value; for parametric, integral of speed: give formula, EXAMPLES of each type (rect and parametric)

Volumes of rotations - washers and disks (include rotation about a line): formulas for both disks and washers, if line above or Right: radius $=$ line - function, if line below or left: radius $=$ function - line, EXAMPLES $($ at least 4$)$

Volume of solid with known cross sections: perp to $x=$ terms of $x$, perp to $y=$ terms of $y$, find area formula and what length of rect represents in formula, volume $=$ integral of area formula, EXAMPLES (at least 2)

## SERIES SECTION:

$\qquad$ Alternating series: definition, convergence test, absolute v. conditional convergence, error, EXAMPLES of each type
___ Comparison tests (both limit and direct): explain testing of both, how to find $b_{n}$, Ex of both (div and converging) for both

Geometric Series: convergence and divergence, finding the ratio, how you know it's geometric looks exponential, formulas for sum, EXAMPLES

Integral test: hypotheses - must be positive termed, cont, and decreasing, do improper integral to check for convergence, if $=\#$ converges, if $=$ infinities diverges, EXAMPLES(at least $2-1$ conv, 1 div)

Lagrange error bound for Taylor polynomials: use when not alternating, Taylor's theorem (z's), still $1^{\text {st }}$ omitted term but derivative is a function with z's - show less than a constant, EXAMPLES (at least 2 similar to ones in class)

Maclaurin Series (include series reps for $\mathrm{e}^{\mathrm{x}}, \sin (\mathrm{x}), \cos (\mathrm{x})$, and $\left.1 / 1-\mathrm{x}\right)$ : explain how to find, centered at 0 , manipulating known series (deriv, substitution, mult, etc) EXAMPLES
$\qquad$ Nth term test: only finds divergence! If limit not equal to zero, diverges., EXAMPLES

Power Series (recentering, find function to represent, derivatives of, integrals, manipulating (substitution), etc) discuss how deriv and integral keep same radius of conv but must check endpt for interval, EXAMPLES of each type (these should not start from Maclaurin series)
___ P-series: general form, $\mathrm{p}>1$ converges, $\mathrm{p} \leq 1$ diverges, EXAMPLES of each type

Radius of convergence and intervals of convergence: Use ratio test unless geometric, must check endpoints, 3 possible intervals : 0, infinity, between 2 values, radius = dist from center to endpts of interval, EXAMPLES of each type

Ratio test : infinite limit of $n+1$ term divided by $n$, if $<1$ converges, $>1$ diverges, $=1$ inconclusive; use with factorials and nth powers, EXAMPLES of each type

Taylor Polynomial degree $n$ centered at $c$ : how to do; if degree is $n$, then do $n$ derivatives, include examples where you need to find the polynomial given $f(x)$ and another where given poly and asked info about $f(x)$ along with just writing Taylor poly
___ Telescoping series: converges, use partial fractions and write out terms to find sum, EXAMPLE
$\qquad$ Neatness/following directions (take off points if used pencil and no sheet protectors, messy, not in order, hard to follow, no table contents, no section dividers, etc: worth 10 pts) ${ }^{* *}$ If neatness, color, organization is the WOW factor, can give 12 pts**


[^0]:    L'Hospital's Rule (including all indeterminate forms): $0 / 0, \infty / \infty, \infty-\infty, 0(\infty), 1^{\infty}, \infty^{0}, 0^{0}$, EXAMPLES of each

[^1]:    $\qquad$ Derivative of general inverse functions: formula (find corresponding point, etc) EXAMPLE

